

Errata for *Nonlinear Inverse Problems in Imaging*

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Notation

B(Bullet), E(Example), L(Line), Lem(Lemma), N(Numbered equation), T(Theorem)

Page	Location	Correction	Description
19	L5	$\int_{t_0}^{t+1} \ \mathbf{r}'(t)\ dt$	right norm sign missing
49	T3.2.2	$\left[\frac{\partial}{\partial t} - k \frac{\partial^2}{\partial x^2} \right] v_\epsilon = -2k\epsilon < 0$	opposite inequality
57	E3.4.1	$\rho = -1$	To be consistent, ρ should be -1
60	T3.4.5	$\hat{u}(r, \theta) = u(\mathbf{r}_0 + r_0 (r \cos \theta, r \sin \theta))$	typo
65	T3.4.12	$u(\mathbf{r}) = \int_\Omega G(\mathbf{r}, \mathbf{r}') \rho(\mathbf{r}') d\mathbf{r}' \quad (\forall \mathbf{r} \in \Omega)$	typo
67	E3.4.18	$ \nabla u \cdot \nabla \phi \leq \frac{1}{2} \nabla u ^2 + \frac{1}{2} \nabla \phi ^2$	typo

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Page	Location	Correction	Description
79	B3	$ \alpha = \sum_{k=1}^n \alpha_k$	typo
79	B6	and $H_0^2(\Omega) = W_0^{2,2}(\Omega)$	upper-case
80	L3	$ \int_0^s u_m''(t) dt $	lower-case
82	L6	<i>Integrating over the \mathbf{x} variable gives</i>	variable
83	N4.22		(need to remove gradient?)
83	N4.23		(need to remove gradient?)
84	Lem4.2.10	$\frac{1}{ E } \int_E \left[\int_0^{ x-y } -\frac{d}{dt} u(\mathbf{x} + t\theta_{\mathbf{y}}) \right] dy$	minus sign needed
89	L7	$\int_{\Omega} \sigma \nabla u \cdot \nabla \phi = \int_{\Omega} f \phi dx$	typo in variational form
89	N4.35	$\int_{\Omega} \sigma \nabla u \cdot \nabla \phi$	dot product missing
89	Matrix	$\begin{pmatrix} a(\phi_1, \phi_1) & a(\phi_2, \phi_1) & \cdots \\ a(\phi_1, \phi_2) & a(\phi_2, \phi_2) & \cdots \\ a(\phi_1, \phi_3) & a(\phi_2, \phi_3) & \cdots \\ \vdots & \vdots & \ddots \end{pmatrix}$	no symmetry of the bilinear form
90	L1	coefficients $a_{kj} = a(\phi_j, \phi_k)$	revision in accordance with the above
90	E4.3.2	$\langle A\mathbf{x}, \mathbf{y} \rangle := \sum_{j=1}^n \sum_{i=1}^n a_{ij} x_i y_j$	summation index
94	T4.3.8	$(ii) \ u - u_n\ \leq \left(\frac{M}{c}\right) \min_{v \in X_n} \ u - v\ $	typo
98	E4.3.13	$\begin{aligned} &= \frac{d}{dt} \int_a^b \sqrt{1 + (u' + tv')^2} dx \Big _{t=0} \\ &= \int_a^b \frac{2u'v' + 2tv'}{2\sqrt{1 + (u' + tv')^2}} dx \Big _{t=0} \\ &= \int_a^b \frac{2u'v'}{2\sqrt{1 + (u')^2}} dx \\ &= \int_a^b \frac{d}{dx} \left[\frac{u'}{\sqrt{1 + (u')^2}} \right] v dx \\ &= \int_a^b \frac{u''(\sqrt{1 + (u')^2}) - u'}{1 + (u')^2} v dx \end{aligned}$	typo in coefficient